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Stress intensity factors of the rib-to-deck welded joint at the crossbeam conjunction in OSDs

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Abstract

The orthotropic steel decks (OSDs) are one of the most widely used bridge components, especially in moveable and long span bridges. Numerous cracks have been detected in this type of deck in existing bridges, mainly in the welded joints. The fatigue performance of the bridge deck dominates its design. Among them, the crack at the rib-to-deck joint is one of the most representative types. At the crossbeam conjunction, high stress concentration makes the joint more sensitive to fatigue loading. In this paper, finite element models are built using software program Abaqus integrated with FRANC3D. The calculated stress at uncracked stage is validated with measured data obtained from laboratory tests. Afterwards, cracks are inserted at the weld root and the stress intensity factor ranges in mode I ($\Delta K_I$) are calculated. Parametric analysis with various cracks is carried out. General correction factors are calculated from the finite element calculation with the power fit values.

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Keywords: OSDs, rib-to-deck joint, weld root crack, stress intensity factors;

1. Introduction

Orthotropic steel deck is a common type of deck plates used in the steel bridges. The component uses welding technique to connect steel plates and provides high load capacity in longitudinal direction with low self-weight (7) and (5). During the 70 years of application, the deck plates have been successfully used in the long span bridges and movable bridges. However, the all welded component is prone to fatigue loading. Under the heavy truck loading, cracks appear at various positions of the decks, mainly in the welded joints. Among them, the rib-to-deck crack at the crossbeam conjunction is one the most representative types, see Fig. 1. Cracks 1 and 2 (C1 and 2) initiates from the weld root of the stiffeners and grow in the deck plate. Compared with the C2, the stress concentration at C1 is higher due to the existence of crossbeam. Because of the high inspection and repair cost for this kind of crack, it is important to avoid or control the crack within its service life.

In recent years, the newly designed OSDs trend to use thicker deck plates and improved welding techniques which affect its fatigue performance. A research programme is therefore started in the Netherlands to study the fatigue...
behaviour of the new OSDs. Full-scale fatigue testing and numerical modelling is included in the programme. The testing part of the rib-to-deck joint at crossbeam conjunction is reported in the reference (11). The relationship of total fatigue life and corresponding stress ranges is provided from the testing. It is known that the microcrack propagation period dominates the fatigue behaviour of welded joints. By using fracture mechanics approach, the whole process in the crack propagation period can be studied. In recent years, the method has been successfully used for the fatigue life assessment of steel structures (1) and (8).

In this paper, an advanced finite element model is built containing the cracks using software Abaqus 6.14-1 (10) integrated with FRANC3D 7.1 (4). The stress intensity factors are calculated within the frame of linear elastic fracture mechanics based on M-integrity (4). Through parametric analysis, the best fit curves of general correction factors are found. The data can be used for the hand calculation following the weight function procedure (2).

2. Finite element models

2.1. Loading and boundary condition

An advanced finite element model is built following the testing specimen and loading set-ups in reference (11). In Fig. 2, the load range of 144 kN with ratio of 0.1 is applied from the top of the steel plate to simulate the loading situation of Stiffener 7 in reference (11). It is found that the stress situation of the rib-to-deck joint is mostly affected by the closest 2 stiffeners (5). In the model, the bottom flange is fixed on the ground. Symmetric conditions are applied at the sides.

2.2. Geometric information and interaction properties

In Fig. 2, the 3 trapezoid stiffeners support the 20 mm thick top deck (represented by $t$ in the following sections). The crossbeam is 968 mm high with “Haibach” cutout at the bottom of stiffeners. Sub models A and B are created.
with “tie” constraints at the intersect faces. In this way, the area of interest can be refine meshed while keeping the remaining area coarse meshed. At the center of top deck, the contact behaviour of the 180 mm×320 mm rubber plate and steel plate is considered with “hard” contact in normal direction and “penalty” function in tangential direction with friction coefficient 0.3 (10). Above it, the “tie” constraint is applied at the intersection of steel and rubber plates.

2.3. Crack insert

In the model different sizes and shapes of the crack is inserted in the weld root of the joint, see Figs. 3 and 4. As observed from the previous testing, it is found that the angle between the crack and the vertical line is around 30° which is used when inserting the cracks in the model. In general, the cracks are described as semi-ellipse shape with half depth $a$ (with $d$ in the deck thickness direction) and half length $c$. $\Delta K_I$ at 3 positions are considered (P1 at the edge, P2 at the deepest point, and P3 at the middle point of edge and deepest point) with various sizes and shapes of the crack.

2.4. Meshing and material properties

In the model, solid element C3D8H is used for the global area and sub model A (10). In sub model B, 3 circle element is created around the crack tip with the inner circle with element C3D15H and the outer ones C3D20H (4).
The remaining element in sub model B is C3D10H. Young’s modulus of steel, $E_s$, is 210 GPa with $\nu_s$ 0.3. For the hyperelasitc rubber material, the $C_{10}$ and $C_{20}$ are 0.4613 MPa and 0.0175 MPa, respectivey. $D_1$ and $D_2$ are $2.5 \times 10^{-5}$ MPa$^{-1}$ and $2.0 \times 10^{-5}$ MPa$^{-1}$ (12).

3. Validation of the uncracked model

As mentioned before, the model is built following the testing specimen in the reference (11). One of the tested joint, the north side of Stiffener 7, is selected for the analysis in this paper. A comparison of the measured stress ranges (multiply the measured strain range with $E_s$) and FE calculation is shown in Fig. 5. The measured stress ranges are compared with the calculated ones which shows good agreement in both the top and bottom of the deck plate.
4. Results

4.1. SIFs at the crack tips

In Fig. 6, 4 different sizes of the crack with shape $c/a = 3$ is shown. When the crack is small ($a = 1$ mm) the largest $\Delta K_I$ locates at relative distance range 0.1-0.9 with value around 750 N/mm$^{3/2}$. With the growth of crack, the values are dropping which ends with 480 N/mm$^{3/2}$ at $a = 15$ mm. In general, $\Delta K_I$ distributes evenly in the middle area (relative distance 0.3-0.7) along the crack length and decrease with the crack growth. Detailed change of $\Delta K_I$ at P2 can be found in Fig. 7. This finding is in a line with the $\Delta K_I$ in Fig.6.

![Fig. 6. $\Delta K_I$ along crack tip in the case $c/a=3$](image)

4.2. Effect of crack shapes

Three different cases, $c/a= 1, 3, 5$, are considered for the effect of the crack shapes on the $\Delta K_I$ at P2. In Fig. 7, $\Delta K_I$ decreases almost linearly with the $d/t$ in case $c/a = 1$. When the crack is more shallow, with $c/a= 3$ and 5, the change of the $\Delta K_I$ is much more gentle and almost stable when $d/t < 0.4$. Afterwards a linear change is observed. This indicates the constant propagation speed at the early stage of shallow cracks. In the later stage, the speed drops due to the change of structural integrity at the cracked area which is in a line of the observed strain range redistribution reported in reference (11).

4.3. General correction factors

In the crack propagation analysis using weight function approach, $\Delta K_I$ is calculated by equation (1). The accurate general correction function $Y(d/t)$ is important for the propagation analysis. For this joint, limited information is provided to calculate the weight function and there is no formula for the newly designed deck with 20 mm thick deck plate. In Fig. 8, $Y(d/t)$ at P2 of different sizes ($d/t$) and shapes ($a/c$) of the crack is shown with the best fit equations. Hot spot stress ranges $\Delta \sigma_{HSS}$ is 226 MPa, calculated by the surface extrapolation using data in Fig. 5c. The crack depth at its component in the deck thickness direction $d$ is used in calculation $Y(d/t)$. The power function relationship is found in all 3 cases with variables shown in the legend of Fig. 8. The general functions in $c/a=1.0$ and 3.0 distribute
quite close which indicate that the propagation speeds are close at the deepest position for these cases. It should be noticed that the singularity exists with $d/t$ is close to 0. More calculation needs to be carried out when the crack is small.

\[ \Delta K_i = Y \left( \frac{d}{t} \right) \cdot \Delta \sigma_{HSS} \cdot \sqrt{\pi \cdot d} \]  

(1)
5. Conclusions

Cracks initiates at the weld root of the rib-to-deck joint at crossbeam conjunction in OSDs is numerically studied in this paper. Advanced finite element models with different shapes of cracks are built to calculate the $\Delta K_I$ and $Y(\frac{d}{t})$ at different stages. The following conclusions can be drawn:

- In case $c/a = 3$, $\Delta K_I$ distributes evenly in the middle area (relative distance 0.3-0.7) along the crack length and decrease with the crack growth.
- In case $c/a = 1$, a linear decrease trend of $\Delta K_I$ is found at the deepest point with crack growth. For more shallow cracks, $c/a = 3$ and 5, $\Delta K_I$ is stable when $d/t < 0.4$.
- The general correction function $Y(\frac{d}{t})$ for the deepest points shows a power relationship with the relative crack depth $d/t$. Close value is found in the cases $c/a = 3$ and 5.

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